Reg. No. : $\qquad$
Name : $\qquad$

# Fourth Semester B.Sc. Degree Examination, March 2020 First Degree Programme Under CBCSS Complementary Course PY 1431.1 : MODERN PHYSICS AND ELECTRONICS (For Mathematics) <br> (2018 Admission) 

Time: 3 Hours
Max. Marks : 80

## SECTION - A

Answer all questions in one or two sentences. Each question carries 1 mark.

1. Name the spectral series of hydrogen atom in the visible region.
2. Write the Schrodinger equation in time independent form.
3. Define packing fraction.
4. Write Plank's law of black body radiation.
5. What is the origin of leakage current in a pn junction diode.
6. Define current amplification factor in common emitter configuration.
7. What is ripple factor?
8. Write down the truth table of NAND gate.
9. The BCD equivalent for $37_{10}$ is $\qquad$
10. What is De Morgan's theorem?
(10 $\times 1=10$ Marks )
SECTION - B

Answer any eight questions, not exceeding a paragraph. Each quesțion carries 2 marks.
11. Draw the input and output characteristics of Common emitter transistor configuration. What do you infer from these characteristics?
12. The mass of nucleus is always less than the sum of the masses of its nucleons. Why?
13. Sketch construction and working of half wave rectifier. Sketch its output wave form.
14. What is Zener diode? How its characteristics differ from an ordinary diode.
15. Which of the following wave functions cannot be a solutions of Schrodinger's equation for all positive values of $x$ ? Why not (a) $\psi=A e^{x^{2}}$ (b) $\psi=A e^{-x}$.
16. Briefly explain any two inadequacies of classical mechanics.
17. Explain ac and dc load line.
18. Write a short note on nuclear spin and nuclear magnetic moment.
19. What are various quantum numbers in vector atom model?
20. Explain the laws of Boolean Algebra.
21. Using 2's complement subtract 11011 from 10101.
22. Draw logic implementation of an AND gate and OR gate using NAND gates.

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(8 \times 2=16 \text { Marks })
$$

## SECTION - C

Answer any six questions. Each question carries 4 marks.
23. An electron is contained in a one-dimensional box of width 1.0 nm . Calculate energy of electrons for the level up to $n=4$.
24. Write a short note on Radioactive equilibrium.
25. Find the binary and decimal equivalent of (a) $(17 \mathrm{E})_{16}$ (b) $(762)_{8}$
26. Draw dc load line. Calculate operating point if $\mathrm{V}_{\mathrm{BE}}=0.7 \mathrm{~V}$ and $\beta=500$.

27. The four semiconductor diodes used in a bridge rectifier circuit have forward resistance which can be considered constant at $0.1 \Omega$ and infinite reverse resistance. They supply a mean current of 100 mA to a resistive load from a sinusoidally varying alternating supply of 20 V rms . Determine resistance of the load and efficiency of the circuit.
28. In a transistor employed in common emitter configuration, the base current is $68 \mu \mathrm{~A}$ and current gain is 440 .Find Collector current and Emitter Current. Also find the current gain in common base configuration.
29. Calculate the binding energy of an $\alpha$ particle in Joules. Mass of $\alpha$ particle $=4.03188 \mathrm{u}$ and Mass of proton $=1.00728 \mathrm{u}$, Mass of neutron $=1.00866 \mathrm{u}$.
30. Simplify the following Boolean expressions
(a) $\bar{A} \bar{B} C+A \bar{B} C+A B \bar{C}+A B C$
(b) $A B+A C+B$
31. A 9 volts stabilized voltage supply is required to run a car stereo system from the car's 12 volt battery. A zener diode with $\mathrm{V}_{\mathrm{z}}=9 \mathrm{~V}$ with $\mathrm{P}_{\text {max }}=0.27 \mathrm{~V}$ is used as a voltage regulator. Find the value of the series resistor if the load resistance is $450 \Omega$.
( $6 \times 4=24$ Marks)
SECTION - D

Answer any two. Each carries 15 marks.
32. What are the essential features of Bohr atom model? Derive expressions for the radii of stationary orbits for electrons and the total energy of electron in the orbit. Discuss the origin of the spectral series of hydrogen.
33. What are the basic laws of radio activity? Derive an expression for mean life and half life of a radioactive element.
34. With the help of neat diagram explain construction and working of a single stage transistor amplifier. Hence explain frequency response curve, gain and band width.
35. Discuss the normalization and probability interpretation of a wave function. Give physical interpretation of wave function. Obtain Schrodinger steady state equation.
( $2 \times 15=30$ Marks)

## (Pages: 4)

J - 1220
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# Fourth Semester B.Sc. Degree Examination, March 2020 First Degree Programme Under CBCSS Complementary Course for Mathematics ST 1431.1: STATISTICAL INFERENCE (2018 Admission) 

Time: 3 Hours
Max. Marks : 80
SECTION - A
Answer all questions. Each question carries 1 mark.

1. Define consistent estimator.
2. Define maximum likelihood estimator.
3. Discuss what you mean by confidence coefficient.
4. Describe P-value.
5. Define type I error.
6. Describe null hypothesis.
7. Define power of a test.
8. Define critical region.
9. Identify composite hypothesis in the following
(a) $H o: \mu=0, \sigma^{2}=1$ in $N\left(\mu, \sigma^{2}\right)$
(b) $H o: \lambda<10$ in $P(\lambda)$
(c) $H O: \mu=0$ in $N\left(\mu, \sigma^{2}\right)$
10. Define chance causes of variation.

$$
(10 \times 1=10 \text { Marks })
$$

## SECTION - B

Answer any eight questions. Each question carries 2 marks.
11. Describe sufficient statistics.
12. Describe relative efficiency.
13. State factorization theorem. Mention its uses.
14. Prove that in sampling from normal population with mean $\mu$ and variance $\sigma^{2}$, sample mean is a consistent estimator of population mean.
15. State Neymann - Pearson lemma.
16. Distinguish between one tailed and two tailed tests.
17. A sample of 900 members has a mean 3.4 and standard deviation.2.61. Is the sample from a large population of mean 3.25 at $5 \%$ level?
18. A sample 15 values shows the standard deviation 6.4. Is this compatible with the hypothesis that the sample is from a normal population with standard deviation 5 ?
19. Discuss the test procedure for testing the significance of single proportion based on large samples.
20. Obtain the maximum likelihood estimator of $\mu$ based on a random sample of size n from $N(\mu, 1)$.
21. What are the assumptions used to conduct analysis of variance.
22. Explain the term randomization.

## SECTION - C

Answer any six questions. Each question carries 4 marks.
23. Let $\left(x_{1}, x_{2}, x_{3}\right)$ be three independent observations drawn from a population with mean $\mu$ and variance $\sigma^{2}$. Consider the following estimators.
$t_{1}=x_{1}+x_{2}-x_{3} ; t_{2}=2 x_{1}+3 x_{2}-\mu x_{3}$

Are $t_{1}$ and $t_{2}$ unbiased estimators of $\mu$ ? Which one is more efficient?
24. Examine the consistency of sample variance based on a random sample of size n drawn from $N\left(\mu, \sigma^{2}\right)$ when
(a) Sample size is small.
(b) For large samples.
25. Describe the method of moment estimation.
26. Critically examine how interval estimation differ from point estimation?
27. Obtain the 100(1-2)-1-confidence interval for the mean of normal population when variance is unknown.
28. Discuss large sample test for testing the significant difference of two proportions.
29. Discuss $\chi^{2}$-test for goodness of fit.
30. Height of 10 males in a given locality are found to be $70,67,62,68,61,68,70$, $64,64,68$. Is it reasonable to believe that average height is greater than 64 inches (at 5\% level).
31. Explain how will you control experimental error using replication.

## SECTION - D

Answer any two questions. Each question carries 15 marks.
32. (a) Find a sufficient estimator of $\sigma^{2}$ based on a random sample of size $n$ from $N\left(o, \sigma^{2}\right)$. Also find the $100(1-\alpha) \%$ confidence interval of $\sigma^{2}, n N\left(o, \sigma^{2}\right)$.
(b) Find the maximum likelihood estimators of $\mu$ ? and $\sigma^{2}$ based on a random sample of size $n$ from $N\left(\mu, \sigma^{2}\right)$.
33. (a) Describe small sample test for testing the difference of means of two independent normal populations.
(b) Below are given the gain in weights of Pigs fed on two diets A and B . Test whether the two diets differ significantly with respect to their gain in weight.

Gain in weight
Diet A $25,32,30,34,24,14,32,24,30,31,35,25$
Diet B 44, 34, 22, 10,47, 31, 40, 30, 32, 35, 18, 21, 35, 29, 22
34. (a) Discuss F-test for testing the equality of two variances.
(b) Discuss the additive model and hypotheses to be tested in a two way ANOVA.
35. Describe $\chi^{2}$-test for independence of attributes out of 8000 graduates in a town 800 are females. Out of 1600 graduate employees 120 are females. Use $\chi^{2}$-test to determine if any distinction is made, in appointment on the basis of sex.
( $2 \times 15=30$ Marks )

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Fourth Semester B.Sc. Degree Examination, March 2020

## First Degree Programme under CBCSS

Mathematics
Core Course - III

## MM 1441 - ELEMENTARY NUMBER THEORY AND CALCULUS - II <br> (2018 Admission)

Time: 3 Hours
Max. Marks : 80

## SECTION - I

All the first ten questions are compulsory. They carry 1 mark each.

1. Determine the number of incongruent solutions of the linear congruence $12 x \equiv 18(\bmod 15)$.
2. State true or false. "If $a^{2} \equiv b^{2}(\bmod m)$, then $a \equiv b(\bmod m)$ ".
3. Determine whether 327723 is divisible by 6 .
4. State Fermat's Little Theorem.
5. If $r(u, v)=(1-u) i+[(1-u) \cos v] j+[(1-u) \sin v] k$, then find $\frac{\partial r}{\partial u}$ and $\frac{\partial r}{\partial v}$.
6. Find a parametric representation of the surface $z=4-x^{2}-y^{2}$.
7. Evaluate $\int_{0}^{1} x^{2} y d y$.
8. Let $T$ be the transformation from the $u v$-plane to the $x y$-plane defined by the equations $x=\frac{1}{4}(u+v), y=\frac{1}{2}(u-v)$. Find $T(1,3)$.
9. Determine whether the vector field $F(x, y)=(y+x) i+(y-x) j$ is conservative on some open set.
10. Write a formula for a general inverse-square field $F(r)$ in terms of the radius vector $r$.

## SECTION - II

Answer any eight questions among the questions 11 to 22. These questions carry 2 marks each.
11. Prove that if $a=b(\bmod m)$, then $a^{n} \equiv b^{n}(\bmod m)$ for any positive integer $n$.
12. Find the remainder when $1!+2!+\ldots . .+100$ ! is divided by 15 .
13. Using inverse, find the incongruent solutions of the linear congruence $5 x \equiv 3(\bmod 6)$.
14. Find the least residues $x$ such that $x^{2} \equiv 1(\bmod 8)$.
15. Evaluate $\int_{1}^{3} \int_{2}^{4}(40-2 x y) d y d x$.
16. Find the volume of the solid enclosed by the surface $z=x / y$ and the rectangle $0 \leq x \leq 4,1 \leq y \leq e^{2}$ in the $x y$-plane.
17. Find the Jacobian $\frac{\partial(x, y)}{\partial(r, \theta)}$ of the transformation $x=r \cos \theta, y=r \sin \theta$.
18. Use a double integral to find the area of the region $R$ enclosed between the parabola $y=\frac{1}{2} x^{2}$ and the line $y=2 x$.
19. Sketch the vector field $F(x, y)=-y i+x j$.
20. Find divF and curl $F$ for the vector field $F(x, y, z)=x^{2} i+y^{2} j+z^{2} k$.
21. Evaluate the line integral $\int_{C}\left(x y+z^{3}\right) d s(1,0,0)$ to $(-1,0, \pi)$ along the helix $C$ that is represented by the parametric equations $x .=\cos t, y=\sin t, z=t, 0 \leq t \leq \pi$.
22. Let $F(x, y)=\left(y e^{x y}-1\right) i+x e^{x y} j$. Find a potential function for $F$.
( $8 \times 2=16$ Marks )

## SECTION - III

Answer any six questions among the questions 23 to 31 . These questions carry 4 marks each.
23. Prove that no integer of the form $8 n+7$ can be expressed as a sum of three squares.
24. Using the Pollard rho method with $x_{0}=2$ and $f(x)=x^{2}+1$, find the canonical decomposition of 3893.
25. Find the least positive integer that leaves the remainder 1 when divided by 3,2 when divided by 4 , and 3 when divided by 5 .
26. Show that the congruence relation is an equivalence relation.
27. Use a polar double integral to find the area enclosed by the three-petaled rose $r=\sin 3 \theta$.
28. Find the surface area of the portion of the paraboloid $z=x^{2}+y^{2}$ below the plane $z=1$.
29. Use a triple integral to find the volume of the solid within the cylinder $x^{2}+y^{2}=9$ and between the planes $z=1$ and $x+z=5$.
30. Find the work done by the force field $F(x, y)=\left(e^{x}-y^{3}\right) i+\left(\cos y+x^{3}\right) j$ on a particle that travels once around the unit circle $x^{2}+y^{2}=1$ in the counter clockwise direction using Greens theorem.
31. Suppose that a semi-circular wire has the equation $y=\sqrt{25-x^{2}}$ and that its mass density is $\delta(x, y)=15-y$. Find the mass of the wire.

$$
(6 \times 4=24 \text { Marks })
$$

## SECTION - IV

Answer any two questions among the questions 32 to 35 . These questions carry 15 marks each.
32. (a) State and prove Euler's theorem.
(b) Find the remainder when 18 ! is divided by 23 .
33. (a) Find the volume of the solid enclosed between the paraboloids $z=5 x^{2}+5 y^{2}$ and $z=6-7 x^{2}-y^{2}$.
(b) Use cylindrical coordinates to evaluate $\int_{-3}^{3} \int_{-\sqrt{9-x^{2}}}^{\sqrt{9-x^{2}}} \int_{0}^{9-x^{2}-y^{2}} x^{2} d z d y d x$.
34. (a) Evaluate $\iint_{R} e^{x y} d A$, where $R$ is the region enclosed by the lines $y=\frac{1}{2} x$ and $y=x$ and the hyperbolas $y=\frac{1}{x}$ and $y=\frac{2}{x}$.
(b) Evaluate the surface integral $\iint_{\sigma} x^{2} d S$ over the sphere $x^{2}+y^{2}+z^{2}=1$.
35. (a) State Divergence Theorem and verify it for the field $F=x i+y j+z k$ over the sphere $x^{2}+y^{2}+z^{2}=a^{2}$.
(b) Suppose that a curved lamina $\sigma$ with constant density $\delta(x, y, z)=\delta_{0}$ is the portion of the paraboloid $z=x^{2}+y^{2}$ below the plane $z=1$. Find the mass of the lamina.
( $2 \times 15=30$ Marks $)$

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Fourth Semester B.A./B.Sc. Degree Examination, March 2020 First Degree Programme Under CBCSS

## LANGUAGE COURSE: READINGS IN LITERATURE

Common For B.A./B.Sc. EN 1411.1 (Language Course Vili)
And Career Related 2(a) (Language Course VI) EN1411.3
(2015 Admission Onwards)
Time: 3 Hours
Max. Marks : 80

1. Answer all questions, each in a word or a sentence.
2. Why is the boy 'creeping like snail' in 'All the World is a Stage'?
3. What does the title 'La Belle Dame Sans Merci' mean?
4. Why does Ulysses think of leaving his kingdom?
5. What has caused insensibility among soldiers?
6. Where is the essay 'Tolerance' taken from?
7. What, according to Einstein, is the noblest motive for scientific research?
8. What was the persistent legend spun around Nehru's relation with the Prince of Wales?
9. What is Umkhonto we sizwe?
10. What reason did Vera give for the sudden exit of Mr. Nuttle?
11. Why was the cat named Sherlock?

$$
\text { (10 } \times 1=10 \text { Marks) }
$$

I!. Answer any eight questions in a short paragraph not exceeding 50 words
11. Shakespeare s views on the stage of the soldiers.
12. Resolution and perseverance of the leech gatherer.
13. The employment of Greek myths on 'A Prayer for My Daughter'.
14. The impact of the constable's visit on the narrator.
15. The difference in the attitude of the poet and his neighbour in 'Mending Wall'.
16. Social prescriptions on the use of language in 'An Introduction'.
17. The idea of 'cosmic religious feeling' as enunciated by Einstein.
18. The two solutions to deal with people whom we dislike, as proposed by E.M. Forster.
19. Two of the most persistent legends about Nehru.
20. The dilemma of Dr. Raman regarding the illness of Gopal.
21. The bet between the Banker and the youngman.
22. The reason for Chechi's dejection after receiving the call from Jayant.

$$
(8 \times 2=16 \text { Marks })
$$

III. Answer any six, each in a paragraph not exceeding 100 words
23. The Knight's love for the beautiful lady.
24. The significance of Arnold's statement- "Let us be true to one another".
25. The implication of the dictum "good fences make good neighbours".
26. Tolerance as a practical replacement for love.
27. Einstein's account of three types of religions.
28. Poverty and misery of the Africans in South Africa.
29. Longing as a theme in 'Yellow is the Colour of Longing'.
30. The ending of the story 'The Open Window'.
31. Cat as a prominent character in 'Sherlock'.
( $6 \times 4=24$ Marks $)$
IV. Answer any two in about 300 words
32. Describe the seven stages in human life as portrayed in 'All the World is a Stage'.
33. Comment on the atmosphere of oppression and fear in 'A constable Calls'.
34. Explain J.B. Priestley's arguments favouring idling.
35. Evaluate R.K. Narayan's craftsmanship as evident in 'The Doctor's Word'.

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(2 \times 15=30 \text { Marks })
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Fourth Semester B.A./B.Sc. Degree Examination, March 2020
First Degree Programme Under CBCSS
Language Course (Additional Language IV) - Hindi
HN 1411.1 - DRAMA, TRANSLATION AND CORRESPONDENCE

## (2017 Admission Onwards)

## Time : 3 Hours

1. एक से दस तक के प्रश्नों के उत्तर एक शब्द या एक वाक्य में लिखिए।
2. 'बिना दीवरों के घर' किस विधा की रचना है ?
3. मनू भण्डारी के किसी एक उपन्यास का नाम बताइए।
4. 'बिना दिवाोों के घर' में कुल कितने अंक हैं?
5. 'बिना दिवारों के घर' की मुख्य समस्या कौन-सी है?
6. 'I am unable to go the to market' का हिन्दी अनुनाद कीजिए।
7. 'A bolt from the blue' के लिए प्रयुक्त हिन्दी अनुवाद लिखिए।
8. पन्न-लेग्रन में अंग्रेज़ी के 'From' के स्थान पर हिन्दी में किस शब्द का प्रयोग किया जाता है?
9. 'Letters of Enquiry' के लिए प्रयुक्त हिन्दी शब्द।
P.T.O.
10. 'Commercial Letters' क्र लिए हिन्दी में प्रदुकात जॉकी कैन-सा है?
11. "मैं पूछता हूँ इस घर में कर्भी कोई चीज़ ठीक जगए पर भी गहती है चा नद्री?" - यह किसका कधन है? ( $10 \times 1=10$ Marks)
12. निम्नलिखित में से किन्हीं आठ प्रश्नों के उत्तर करीब 50 शब्दों में लिखिए।
13. 'बिना दिवारों के घर' में अभिव्यक्त ख़ी मानसिकता का चित्रण कीजिए।
14. अजित का चरित्र-चित्रण कीजिए।
15. अनुवाद कितने प्रकार के होते हैं? समझाइए।
16. 'अनुवाद' का व्युत्पत्तिपरक अर्थ समझाइए।
17. अनुवाद करते वक्त ध्वन्यात्मक स्तर पर किन-किन बातों पर ध्यान देना पड़ता है?
18. लेखक के नाम, प्रकाशक के पत्र का एक नमूना तैयार कीजिए।
19. अपने भाई के विवाह का निमन्त्रण पत्र तैयार कीजिए।
20. अनुवाद करते समय वाक्यात्मक स्तर पर किन-किन बातों पर ध्यान देना आवश्यक है?
21. मीना जयन्त से क्यों विवाह-विच्छेद कर स्वतंत्रता की सह लेती है?
22. "लगता है जैसे जितना-जितना ऊपर से बढ़ती जा रही हूँ, भीतर से उतनी ही मेरी जडें कटती जा रही है। मैं अपनी धरती से उखडती जा रही हूँ।" — व्याख्य्या कीजिए।
23. शोभा के नौकरी करने के बारे में अजित का विचार क्या है ?
24. सब्जी-मण्ठी में होनेवाले वार्तालाप का नमुना तैयार कीजिए।
III. निम्नलिखित में से किन्हीं छः प्रश्नों के उत्तर करीब 120 शब्दों में लिखिए।
25. व्यक्ति जीवन में पत्र-लेखन का महत्व क्या है?
26. अनुवाद करते समय भाषा संबन्धी किन-किन बातों पर ध्यान देना चाहिए?


27. प्रतरंभ, मध्य एवं अंत का परिचय देंन हुग, एव पत्र के म्बरूप की चर्चा कीजिए।
28. "तुम प्मझे पापा हो, दूटे अभिमान ने नुम्हें इनना अन्था जना दिना है कि तुम्हें उसका भी ख्याल नहीं।" - व्याएया कीजिए।
29. अपर्नी क्रंटी बहन को नाजमहल के महत्व का विन्वल देते हुए एक पत्र लिखिए।
30. टऋ अभिकरी क नाम एक शिकायतो प्र्र लिखिए।
31. चरित्र-चित्रण की दृष्टि में बिना दिवारों के घर' का मूत्यांकन कीजिए।
( $6 \times 4=24$ Marks)
IV. किन्नीं दो प्रश्नों के उत्तर लिखिए। करीब 250 शब्दों में ।
32. 'बिना द्विवागों के घग' में अभिन्यक्त मुख्य समस्याओं का विश्लेषण कीजिए।
33. नाटक के तत्वों के आधार पर बिना दीवारों के घर की न्रिंचना कीजिए।
34. अपनी सखी को उसंक सैनिक पति की मृत्यु पर एक सांत्वना पत्र लिखिए।
35. निम्नलिखित गद्यांश का हिन्दी में अनुवाद कीजिए।

Many of you will be known for your discoveries and inventions. But the University has to train year after year such cards for building free India in which want, squalor, ignorance and disease must be unknown. In this great task of cadremaking the teacher has a vital role to play, for teacher is the cornerstone of the arch of education, he is no less, if not more than books and curriculum, building and equipment, administration and the rest.
(कठिन शब्द : University - विश्व विद्यालय, Squalor - अभाव, Ignorance - अज़ान, Disease - बीमाग़ी, Cadre making - संवर्ग निर्माण, Arch - मेहराब, Curriculum - पाठ्चक्रम, Administration - प्रशासन)
( $2 \times 15=30$ Marks)

Reg. No. : $\qquad$
Name : $\qquad$

# Fourth Semester B.A./B.Sc. Degree Examination, March 2020 First Degree Programme under CBCSS <br> Malayalam Language <br> Language Course - Additional Language IV <br>  <br> (2018 admission) 

Time: 3 Hours
Max. Marks : 80






















"mosyenwomo morroo Brißiso






உรறรி, மேய゙mร~பรி







$$
(8 \times 2=16 \text { Marks })
$$








Amazon.com., is an American multinational technology company based in Seattle that focuses on e-commerce, cloud computing, digital streaming, and artificial intelligence. It is considered one of the Big Four tech companies, along with Google, Apple, and Facebook.











( $6 \times 4=24$ Marks)








